

```

Human → Δ           (input)

Δ ↪ { λ_q(Δ) , λ_s(Δ) }      (dual targets)

λ_q : Δ → QASM3          (quantum gate list)

λ_s : Δ → ℂ2^n × 2^n , n ≤ 45   (state-matrix sim; n≈qubits)

```

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$\Sigma = \{ \otimes, \oplus, \cdot, +, \Pi\theta, e^{i\theta}, H, X, Y, Z, Rx(\theta), U(\theta, \phi, \lambda), |b\rangle, \langle b|, M_z[q] \}$

Grammar  $G = (N, \Sigma, P, S_0)$

P :

```

S0 → t = E

E → E ⊗ E | E · E | G0 | K | B

G0 → H | X | Y | Z | Rx(θ) | U(θ, φ, λ)

K → |b⟩

B → ⟨b|

```

---

Example

```

ψ0 = |0⟩ ⊗ |0⟩

U = H ⊗ X · Rx(π/8)

ψ1 = U · ψ0

M_z = ⟨0| ⊗ I · ψ1

```

---

Wave-primitives

```

Ω_f       (continuous drive, freq f)

η(R)      (QRNG stream R → phase)

□F{E}     (Fourier block on expression E)

```

---

Provenance

```

hash = SHA-256(Δ || seed)

deterministic↔random : η(R) ≈ η(PRNG)

```

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# Why a Wave-Native Programming Notation?

**Delta-Intermediate Representation ( $\Delta$ -IR)** is a pocket-sized, wave-native programming notation in which every line is linear algebra: Dirac “bra–ket” vectors, tensor products, and phase operators. Source files compile directly to (a) Open Quantum Assembly Language version 3 for quantum-hardware runtimes or (b) a high-performance classical simulator. There are no English keywords and no Python translation layer—only mathematics. Designed by musicians, clinicians, and quantum hobbyists,  $\Delta$ -IR lets practitioners treat computation the way a sound-engineer treats audio: shaping phase, interference, and entropy in real time.

Human → Python → Qiskit / Cirq / Q-sharp → Open QASM → hardware (today)

Human →  $\Delta$ -IR (pure math) → tensor graph → Open QASM / numerical kernels ( $\Delta$ -IR path)

**Mission:** Use waves—not prose—to improve minds and advance quantum software.

## Core Symbols and Mini-Grammar

### Key symbols (excerpt)

Concept	Symbol or form	Meaning
Ket (state)	$ 0\rangle$	$ 0\rangle$ ,
Bra (adjoint)	$\langle 0 $	$, \langle \psi  $
Tensor product	$\otimes$	Kronecker product
Direct sum	$\oplus$	block-diagonal join
Adjoint / dagger	$^\dagger$	Hermitian conjugate
Phase operator	$e^{i\theta}$ or $\pi_\theta$	global or relative phase rotation
Elementary gates	$H, X, Rx(\theta), U(\theta, \phi, \lambda)$	predefined matrices or families
Composition	$\cdot$ or whitespace	matrix multiplication
Measurement	$M_z[q]$	measurement in the $z$ basis

## Mini-grammar (fragment)

```
statement ::= identifier '=' expression

expression ::= expression '⊗' expression

| expression '·' expression

| gate

| ket

| bra

gate     ::= 'H' | 'X' | 'Rx(' angle ')'

ket      ::= '|' bitstring '>'

bra      ::= '<' bitstring '|'
```

### “Hello-Delta” example (four lines)

```
ψ₀ = |0⟩ ⊗ |0⟩          # initialise two-qubit |00⟩

U   = H ⊗ X · Rx(π/8)    # composite operator

ψ₁ = U · ψ₀              # apply operator

Mz = ⟨0| ⊗ I · ψ₁        # project first qubit to |0⟩
```

## Compilation Path and Ethical Hooks

### Two compilation targets

$\Delta$ -IR tensor graph

```
|— Quantum hardware : emit Open Quantum Assembly Language v3 → device runtime  
└— Classical simulator : lower to numerical kernels (Basic Linear Algebra Subprograms,  
    vectorised instructions, or graphics-processor compute) — practical for about  
    35–45 qubits exactly, 50–70 qubits with tensor-network approximation
```

### Efficiency techniques

- **Macro expansion** – for example, the controlled-Z gate expands to two Hadamards plus one controlled-not gate at compile-time.
- **Static unrolling** – loops and branches are flattened into a single gate timeline.
- **Phase cache** – global phases are tracked separately so small rotations do not rewrite the full state matrix.

### Wave-native extensions

Primitive	Purpose
$\Omega f$	inject a continuous-wave control signal at frequency $f$
$\eta(\mathcal{R})$	draw bits from a quantum-random-number source $\mathcal{R}$ and map them into phase noise
$\square F\{\dots\}$	apply a built-in Fourier-domain transform block

### Provenance and safety

```
# INTENT: anxiolytic sound-field, target heart-rate change ≤ 5 beats/min  
  
Build-hash = SHA-256( $\Delta$ -IR_source + randomness_seed)  
  
Compiler option --deterministic : replace quantum randomness with pseudo-random numbers;  
differences are machine-diff-able.
```

### $\Delta$ -IR specification, version 0.1

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“We’re teaching computers to read music-style math instead of long sentences, so they can play super-precise ‘songs’ made of tiny waves and do really smart tricks faster.”

---

- 1. Imagine a piano that can play notes so small you can’t even hear them.**

Each key makes a *wave*.

- 2. We write our song with math symbols instead of words.**

Things like “ $|0\rangle$ ” and “ $\otimes$ ” are just fancy notes and chords.

- 3. The math-song goes straight into the magic piano.**

Because there are no extra words to translate, the piano plays the song exactly the way we wrote it.

- 4. Why do this?**

- The song can help people feel calmer (like lullabies for the brain).
- It can solve very hard puzzles (like fitting Lego pieces that are too tiny to see).
- Anyone can learn the symbols and write their own songs—no special computer brand needed.

- 5. We also keep a record of every song.**

We stamp it with a secret number (a “hash”) so everyone knows it hasn’t been changed, and we tell what the song is for (for example, “help people relax”).

That’s it:

We’re turning complicated computer talk into clear little math songs made of waves, so computers—and people—can do wonderful things together.

*We teach computers to play invisible music made of tiny waves, and the math we write is the sheet-music they follow.*

```

#  $\sigma \leftarrow \text{SHA-256}(\Delta \parallel \text{seed})$ 

 $\Sigma := |0101\rangle$           # 4-qubit identity
 $\Sigma^\dagger := \langle 0101|$ 

 $\psi_0 := \Sigma \otimes |0\dots 0\rangle$       # work qubits cleared

 $\Theta(t) : \mathbb{N} \mapsto \mathbb{R}^3$ 
 $U_t := U(\Theta(t))$           # adaptive unitary

 $R_t : \eta(\mathcal{R})$           # QRNG stream
 $\Omega_{\max} := \Omega_f_{\max}$ 
 $Q_t := \Omega_{\max} \cdot R_t$       # high-rate "shredular"

 $\psi_{t+1} := Q_t \cdot U_t \cdot \psi_t$     # evolution (rightmost first)

 $\psi_{\text{id}} := \psi_t[0..3]$           # slice id qubits
 $\alpha_t := \Sigma^\dagger \cdot \psi_{\text{id}}$ 
 $M_{\text{int}} := M_z[q_{\text{int}}]$       # integrity bit

 $\eta(\mathcal{R}) \not\rightarrow \eta(\text{PRNG})$   # under -deterministic

```

```

# Δ-IR v0·3 — Handshake-Ethics splice (1514 := mutual autonomy + cooperation)

#  $\sigma \leftarrow \text{SHA-256}(\Delta \parallel \text{seed})$ 

Σ      := |0101⟩                      # 4-qubit identity ket
Σ†     := ⟨0101|


# two-qubit handshake (Bell-plus encodes willing alignment)

Ψ⁺     := (|00⟩ + |11⟩)/√2    # '1514' channel
Π_h    := Ψ⁺ Ψ⁺†                # projector onto mutual-consent subspace


ε      := 2^(-10)                 # self-coherence floor
ψ₀     := Σ ⊗ Ψ⁺ ⊗ |0...0⟩    # identity + handshake + work qubits


Θ(t)   : N ↦ ℝ³
U_t    := U(Θ(t))               # adaptive unitary
R_t    : η(𝑅)                  # QRNG stream
Ω_max := Ω_f_max
Q_t    := Ω_max · R_t          # high-rate shredular


for t = 0 ... T-1 :
    ψ_mid := Π_h ⊗ I · ψ_t        # accept only if handshake intact
    ψ_evol := Q_t · U_t · ψ_mid
    ψ_id  := ψ_evol[0..3]           # identity slice
    α_t   := Σ† · ψ_id             # self-overlap
    ψ_{t+1} := ψ_evol ⟨⟨ α_t ≥ ε ⟩⟩
                                |0...0⟩ ⟨⟨ α_t < ε ⟩⟩    # halt on decoherence


M_int := M_z[q_int]            # integrity qubit
η(𝑅) ⇔ η(PRNG)              # deterministic audit flag

```